

1 Introduction

Neutral atoms caught in arrays of optical tweezers provide a promising architecture for scalable quantum computers:

- Flexible geometries - reconfigurable arrays
- Long lifetimes

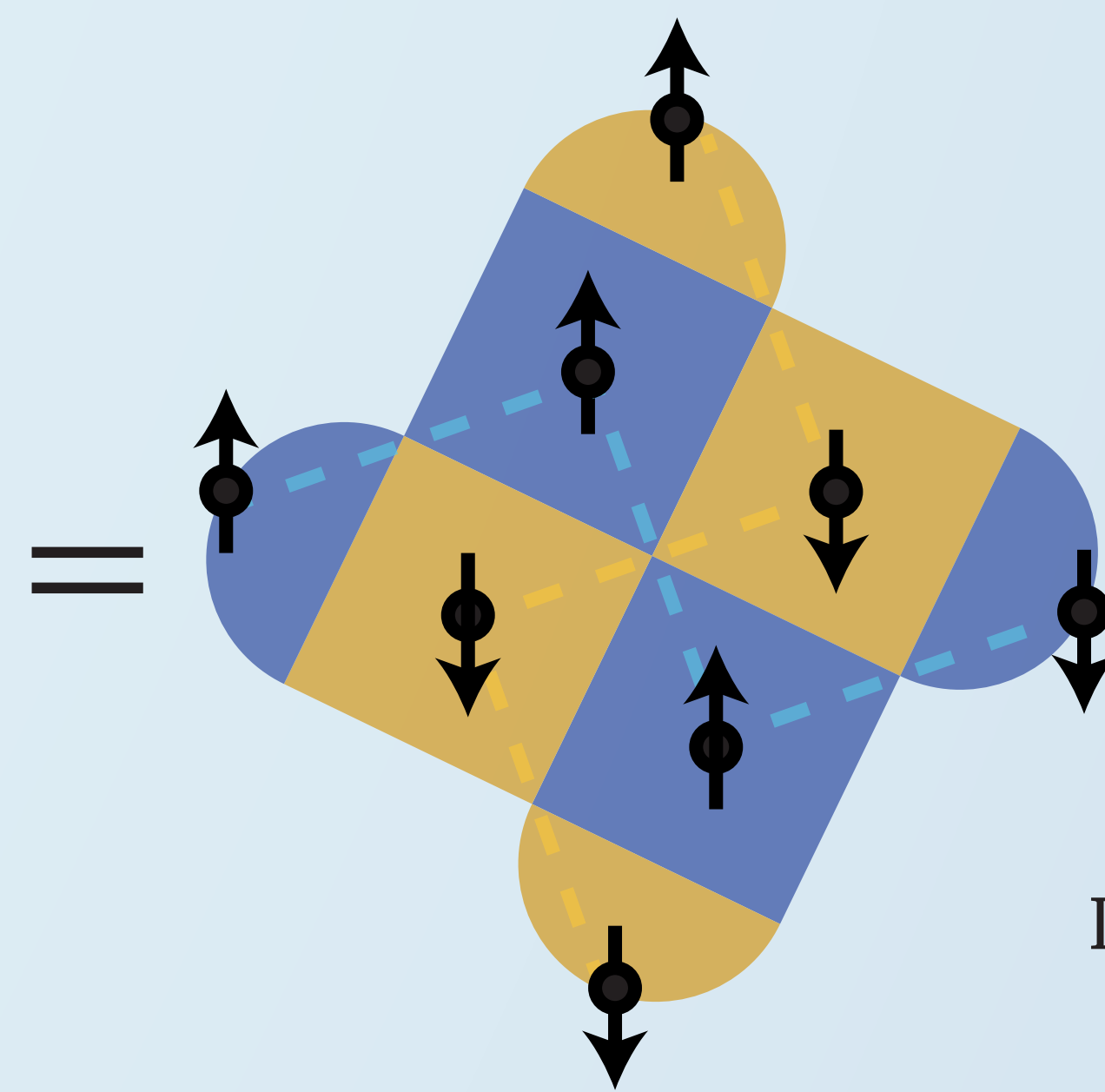
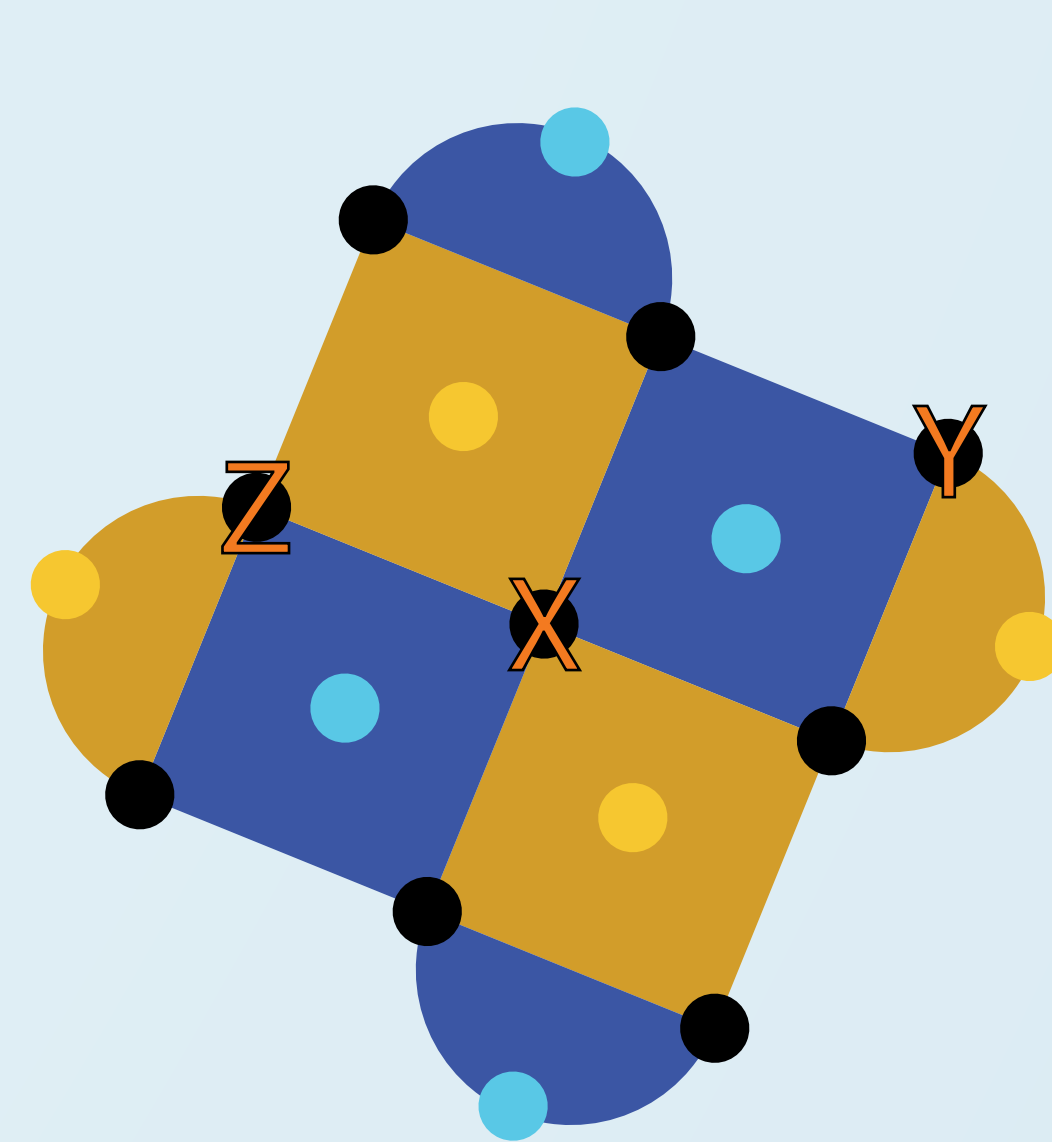
Quantum error correction (QEC) is crucial for constructing high-quality **logical qubits**. Minimal qubit fidelity requirements for QEC are calculated from **second order phase transitions** in a mathematically equivalent Z_2 lattice gauge theory^{[1][2]}.

In this work, we characterise the performance of topological codes for a ^{88}Sr neutral atom quantum computer by using a variety of mappings.

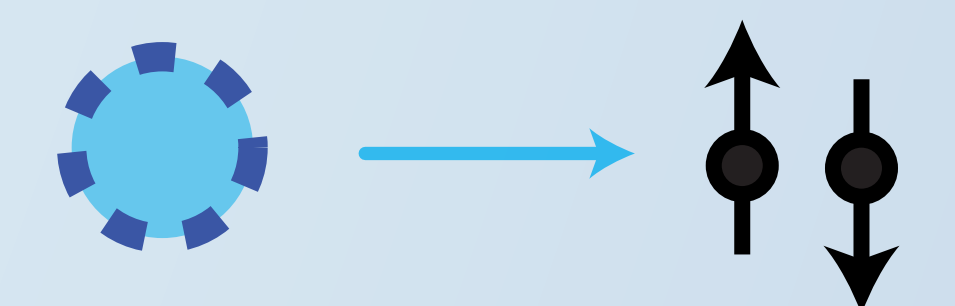
2 Statistical mapping

Quantum Error Correction

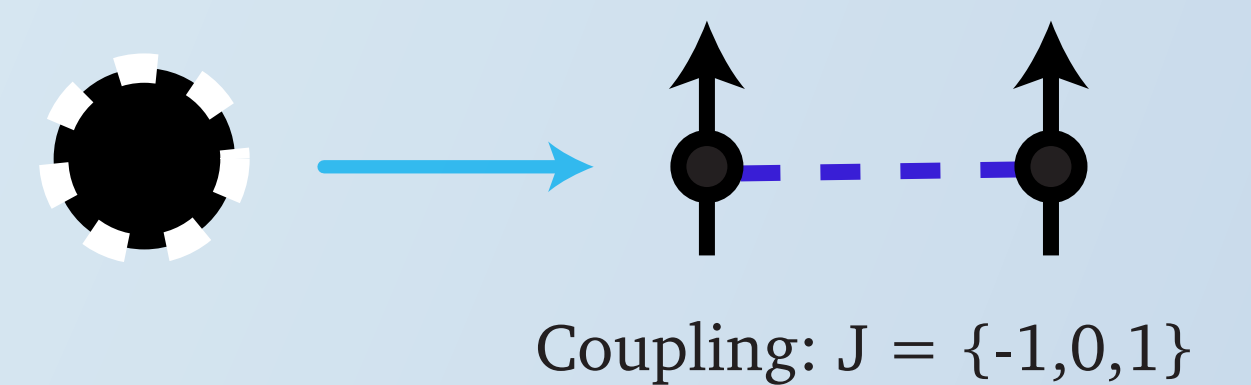
Statistical Gauge Model



Stabiliser qubit \ggg Classical spin



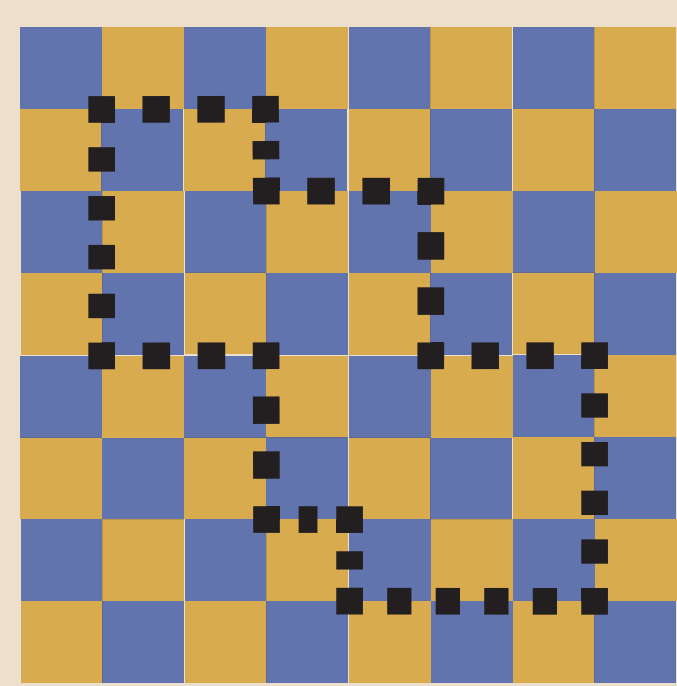
Data qubit \ggg Random Z_2 coupling



Mappings

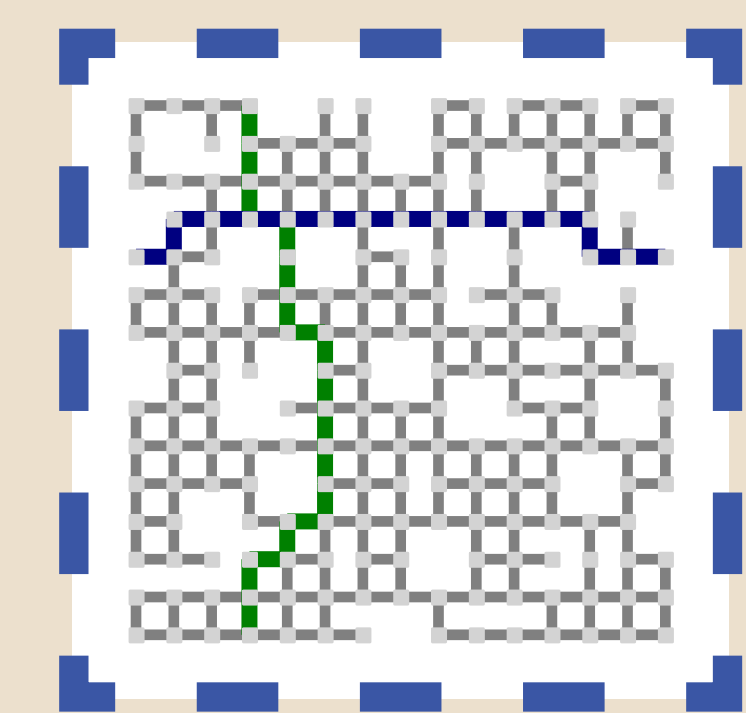
Random Plaquette Gauge Model

RPGM for measurement errors
 Coupling: $J = \{-1, 1\}$
 Order parameter: Wilson loop $W[\tau]$

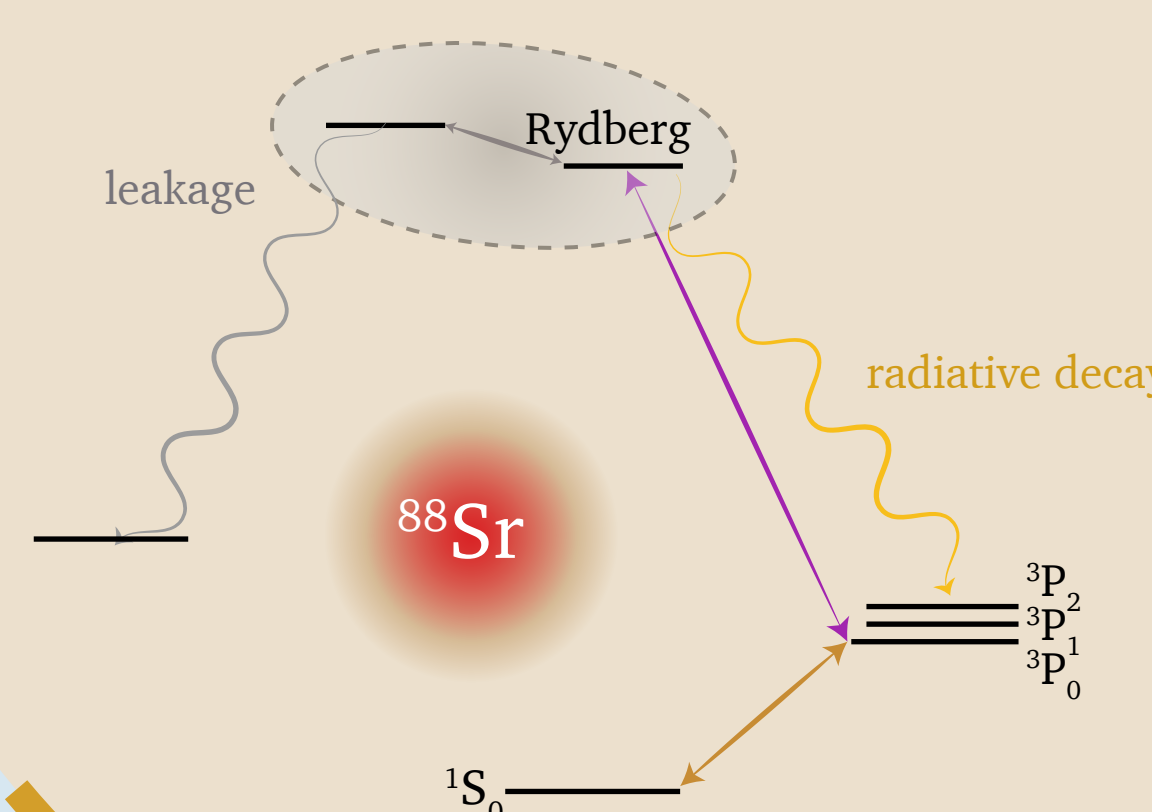


Erasure Model of Percolation

Erasures cause topological defects
 Coupling: $J = \{0, 1\}$
 Order parameter: \square



Full model with fragile Rydberg state
 Coupling: $J = \{-1, 0, 1\}$



Full Neutral Atom Model

3 Summary

Neutral atoms benefit from erasure conversion. Quantum memory fidelity constraints are given by:

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THIS POSTER IS INCOMPLETE AS SIMULATIONS ARE STILL GOING